# **SCIENTIFIC MEASUREMENT**

# **SECTION 3.1 MEASUREMENTS AND THEIR UNCERTAINTY** (pages 63-72)

This section describes the concepts of accuracy, precision, and error in measurements. It also explains the proper use of significant figures in measurements and calculations.

# ► Using and Expressing Measurements (page 63)

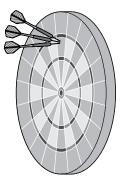
- 1. Why are numbers used in chemistry often expressed in scientific notation?
- 2. Circle the letter of each sentence that is true about numbers expressed in scientific notation.
  - **a.** A number expressed in scientific notation is written as the product of a coefficient and a power of 10.
  - **b.** The power of 10 is called the exponent.
  - **c.** The coefficient is always a number greater than or equal to one and less than ten.
  - **d.** For numbers less than one, the exponent is positive.
- 3. Circle the letter of the answer in which 503,000,000 is written correctly in scientific notation.
  - **a.**  $5.03 \times 10^{-7}$
  - **b.**  $503 \times 10^6$
  - **c.**  $5.03 \times 10^8$
  - d. 503 million

### ► Accuracy, Precision, and Error (pages 64–65)

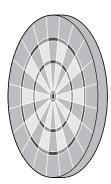
4. Is the following sentence true or false? To decide whether a measurement has good precision or poor precision, the measurement must be made more than once. \_\_

Label each of the three following sentences that describes accuracy with an A. Label each sentence that describes precision with a P.

- **5.** Four of five repetitions of a measurement were numerically identical, and the fifth varied from the others in value by less than 1%.
  - **6.** Eight measurements were spread over a wide range.
    - **7.** A single measurement is within 1% of the correct value.
  - 8. On a dartboard, darts that are closest to the bull's-eye have been thrown with the greatest accuracy. On the second target, draw three darts to represent three tosses of lower precision, but higher accuracy than the darts on the first target.



First target



Second target

9. What is the meaning of "accepted value" with respect to an experimental measurement?

10. Complete the following sentence. For an experimental measurement, the experimental value minus the accepted value is called the \_\_\_\_\_

- 11. Is the following sentence true or false? The value of an error must be positive. \_\_\_\_\_
- 12. Relative error is also called \_\_\_\_\_\_.
- 13. The accepted value of a length measurement is 200 cm, and the experimental value is 198 cm. Circle the letter of the value that shows the percent error of this measurement.
  - **a.** 2%
  - **b.** -2%
  - **c.** 1%
  - **d.** -1%

		Date	Class		
Si	ignifican	t Figures in Measurements	(pages 66–67)		
14.	If a thermo	ometer is calibrated to the nearest deg	ree, to what part of a degree		
	can you est	timate the temperature it measures? _			
15.		etter of the correct digit. In the measu tuncertain?	rement 43.52 cm, which digit		
	<b>a.</b> 4	<b>c.</b> 5			
	<b>b.</b> 3	<b>d.</b> 2			
16.		etter of the correct number of significent 6.80 m.	ant figures in the		
	<b>a.</b> 2	<b>c.</b> 4			
	<b>b.</b> 3	<b>d.</b> 5			
17.	List two situations in which measurements have an unlimited number of significant figures.				
	a				
	h				
	υ				
18.	Circle the l	etter of each sentence that is true abo	ut significant figures.		
18.	Circle the l	etter of each sentence that is true abo	ut significant figures.		
18.	Circle the la. Every no signification	etter of each sentence that is true abo	out significant figures.  Int is assumed to be		
18.	c. Leftmos	etter of each sentence that is true abo onzero digit in a reported measureme	nut significant figures.  In tis assumed to be never significant.		
18.	c. Leftmos less than	etter of each sentence that is true abo onzero digit in a reported measurement. oppearing between nonzero digits are not set zeros acting as placeholders in front	nut significant figures.  Int is assumed to be  never significant.  It of nonzero digits in numbers		
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**5.** Give at least one example of a derived unit.

Name	Date	Class

**6.** Complete the following table showing some metric units of length. Remember that the meter is the SI base unit for length.

Metric Units of Length				
Unit Symbol Factor Multiplying Ba				
Meter	m	1		
Kilometer				
Centimeter				
Millimeter				
Nanometer				

Match each metric unit with the best estimate of its length or distance.

- **7.** Height of a stove top above the floor **a.** 1 km
- **8.** Thickness of about 10 sheets of paper **b.** 1 m
- **9.** Distance along a road spanning about 10 telephone poles **c.** 1 cm
- \_\_\_\_\_ **10.** Width of a key on a computer keyboard **d.** 1 mm
  - 11. The space occupied by any sample of matter is called its \_\_\_\_\_
  - 12. Circle the letter of each sentence that is true about units of volume.
    - **a.** The SI unit for volume is derived from the meter, the SI unit for length.
    - **b.** The liter (L) is a unit of volume.
    - **c.** The liter is an SI unit.
    - **d.** There are  $1000 \text{ cm}^3$  in 1 L, and there are also 1000 mL in 1 L, so 1 cm<sup>3</sup> is equal to 1 mL.

Match each of the three descriptions of a volume to the appropriate metric unit of

	Example	Unit of Volume
	13. Interior of an oven	<b>a.</b> 1 L
1	14. A box of cookies	<b>b.</b> 1 m <sup>3</sup>
	15. One-quarter teaspoon	<b>c.</b> 1 mL

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### **CHAPTER 3, Scientific Measurement** (continued)

- **16.** A volume of 1 L is also equal to
  - **a.** 1000 mL
  - **b.** 1 dm<sup>3</sup>
  - c. 1000 cm
- 17. The volume of any solid, liquid, or gas will change with

**18.** A kilogram was originally defined as the mass of \_\_\_\_\_\_.

- 19. Circle the letter of the unit of mass commonly used in chemistry that equals
  - a. gram

1/1000 kilogram.

**b.** milligram

c. milliliter

Match each unit of mass with the object whose mass would be closest to that unit.

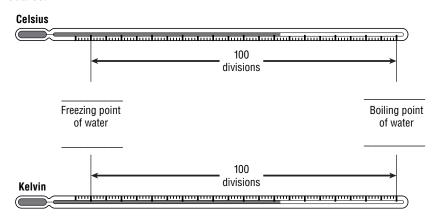
Mass	Unit of Mass
<b>20.</b> A few grains of sand	<b>a.</b> 1 kg
21. A liter bottle of soda	<b>b.</b> 1 g
<b>22.</b> Five aspirin tablets	<b>c.</b> 1 mg

- 23. Circle the letter of the instrument shown that is used to measure mass.
  - a. scale
  - **b.** balance beam
  - c. platform balance
  - **d.** analytical balance
- 24. Is the following sentence true or false? The mass of an object changes with location.
- 25. When brought to the surface of the moon, will a mass have more or less weight than it did on the surface of Earth, or will it be the same weight? Explain.

**26.** Draw an arrow below the diagram, showing the direction of heat transfer between two objects.

higher lower temperature temperature **27.** What properties explain the behavior of liquid-filled thermometers?

- **28.** What are the two reference temperatures on the Celsius scale?
- **29.** What is the zero point, 0 K, on the Kelvin scale called?
- **30.** A change of temperature equal to one Kelvin is equal to a change of temperature of how many degrees Celsius? \_
- 31. Complete the diagram to show the reference temperatures in the Celsius and Kelvin scales.



**32.** One calorie is the quantity of heat that raises the temperature of of pure water by \_\_\_\_\_\_.

### SECTION 3.3 CONVERSION PROBLEMS (pages 80–87)

This section explains how to construct conversion factors from equivalent measurements. It also describes how to apply the techniques of dimensional analysis to a variety of conversion problems.

### ► Conversion Factors (pages 80–81)

1. How are the two parts of a conversion factor related?

- 2. Look at Figure 3.11. In a conversion factor, the smaller number is part of the \_\_\_\_\_unit. The larger number is part quantity that has the of the quantity that has the unit.
- 3. Is the following sentence true or false? The actual size of a measurement multiplied by a conversion factor remains the same, because the measurement being converted is multiplied by unity. \_\_\_
- 4. Write two conversion factors based on the relationship between hours and minutes.
- 5. The average lead for a mechanical pencil is 6.0 cm long when it is new. Circle the letter of the conversion factor you would use to find its length in inches.

  - **b.**  $\frac{1 \text{ in.}}{2.54 \text{ cm}}$
  - **c.**  $\frac{1 \text{ in.}}{6.0 \text{ cm}}$
  - **d.**  $\frac{6.0 \text{ cm}}{1 \text{ in.}}$
- 6. A student is asked to calculate the volume, in milliliters, of 2 cups of oil. There are 225 mL per cup. The student calculates the volume as follows:

Volume = 2 cups 
$$\times \frac{1 \text{ cup}}{25 \text{ mL}} = 0.08 \text{ cup}$$

List three errors the student made.

# **▶ Dimensional Analysis** (pages 81–83)

7. What is dimensional analysis?

8. Reread Sample Problem 3.5. The correct conversion factor has the \_\_\_\_\_ unit in the denominator and the unit in the numerator.

ne	Date	Class
	can hold 65 g of water. Circle the convo water that 5 identical containers can h	
$\mathbf{a.}  \frac{5 \text{ contain}}{65 \text{ g wat}}$	er er	
<b>b.</b> $\frac{1 \text{ contain}}{65 \text{ g wate}}$	<u>er</u> er	
c. $\frac{65 \text{ g wate}}{1 \text{ contain}}$	er er	
$\mathbf{d.} \; \frac{65 \; \mathbf{g} \; \mathbf{wat}}{5 \; \mathbf{contain}}$	<u>er</u> ers	
Converting	Between Units (pages 84–85)	
<b>10.</b> Converting b	oetween units is easily done using	·
	tter of the conversion factor that you w to milliliters.	ould use to convert
$\mathbf{a.} \ \frac{4 \text{ fluid ou}}{1 \text{ tablesp}}$	nces	
<b>b.</b> $\frac{1 \text{ tablesp}}{4 \text{ fluid ou}}$	nces	
c. $\frac{1 \text{ tablespo}}{15 \text{ mL}}$	<u>oon</u>	
$\mathbf{d.} \; \frac{15 \; \mathrm{mL}}{1 \; \mathrm{tablespe}}$	oon .	
12. Show the cal	culation you would use to convert the	following:
<b>a.</b> 0.25 m to	centimeters	
<b>b.</b> 9.8 g to ki	lograms	
<b>c.</b> 35 ms to s	seconds	
<b>d.</b> 4.2 dL to l	liters	
13. Complex corconversion for	nversions between units may require u actor.	using
	onversion factors would you need to ubic decimeter? What are they?	ase to find the number of

15. How would you calculate the number of nanometers in 8.1 cm?

**16.** What is the equivalent of 0.35 lb in grams?

17. A scientist has 0.46 mL of a solution. How would she convert this volume to microliters?

**18.** Describe the steps you would use to solve this problem. In a scale drawing of a dining room floor plan, 10 mm equals 2 meters. If the homeowners wanted to purchase flooring that costs \$10.89 per square yard, how much would they spend on flooring for the dining room? The dimensions of the dining room on the floor plan are 40 mm  $\times$  32 mm.

19. Name three common measurements that are expressed as a ratio of two units.

**20.** What technique can be used to convert complex units?

21. A normal concentration of glucose, or sugar, in the blood is 95 mg/dL. How many grams of sugar would be present per liter of blood? Show the conversion factors you use.

22. Replace each question mark in the table with the conversion factors needed to obtain the given units of density.

Mass	Volume	Density
g	$\text{mm}^3 \times ?$	g/m³
kg × ?	cm <sup>3</sup> × ?	g/m³

23. A man can run a mile in 4 minutes. Calculate his average speed in kilometers per hour. Show your work. (1 mile = 1.61 km)

Name	Date Class
24.	A baseball player's batting average is .254 (254 hits per 1000 at bats). If she is at bat an average of 3 times per game, how many hits will she make in 52 games? Show your work.
This .	CTION 3.4 DENSITY (pages 89–93) section defines density. It explains that density is a characteristic property depends on the composition of a substance, not on the size of the sample.
<b>▶</b> D	Petermining Density (page 89–90)
1.	Is the mass of one pound of lead greater than, less than, or equal to the mass
	of one pound of feathers?
2.	Which material has a greater density, lead or feathers?
3.	How is density defined?
4.	The mass of a sample is measured in grams, and its volume is measured in cubic centimeters. In what units would its density be reported?
5.	Look at Table 3.6 on page 90. Circle the letter of the material that will sink in liquid water at 4°C.
	a. aluminum
	<b>b.</b> corn oil
	c. ice
	d. gasoline
D	Pensity and Temperature (pages 91–92)
6.	The density of a substance generally decreases as its temperature increases. Are there any exceptions to this statement? Explain.

# **GUIDED PRACTICE PROBLEMS**

### **GUIDED PRACTICE PROBLEM 3** (page 69)

3. Round 87.073 meters to three significant figures. Write your answer in scientific notation.

**Step 1.** To round to three significant figures, round to the nearest tenth.

87.073 rounds to \_\_\_\_\_

**Step 2.** Write the number in scientific notation.

meters

# **GUIDED PRACTICE PROBLEM 34** (page 85)

**34.** The radius of a potassium atom is 0.227 nm. Express this radius in centimeters.

Complete the following steps to solve the problem.

**Step 1.** Use the conversion factors for nanometers and centimeters.

$$0.227 \text{ nm} \times \frac{ }{1 \times 10^9 \text{ nm}} \times$$

Step 2. Simplify.

$$=\frac{0.227\times 10^2}{10^9}$$

**Step 3.** Divide.

# **EXTRA PRACTICE** (similar to Practice Problem 36, page 86)

**36.** Gold has a density of about 20 g/cm<sup>3</sup>. Estimate this density in kg/m<sup>3</sup>.

# **GUIDED PRACTICE PROBLEM 46 (page 91)**

**46.** A student finds a shiny piece of metal that she thinks is aluminum. In the lab, she determines that the metal has a volume of 245 cm<sup>3</sup> and a mass of 612 g. Calculate the density. Is the metal aluminum?

**Analyze** 

**Step 1.** List the known values.

Volume = 
$$245 \text{ cm}^3$$

**Step 2.** List the unknown.

**Calculate** 

**Step 3.** Use the following relationship to find the density. Remember to round your answer to three significant figures.

Density = 
$$\frac{\text{mass}}{\text{volume}}$$
  
=  $\frac{612 \text{ g}}{\text{cm}^3}$   
=  $\frac{\text{g/cm}^3}{\text{g/cm}^3}$ 

**Step 4.** To determine whether the piece of metal is aluminum, compare the density of the metal to the density of aluminum given in Table 3.7 on

page 90. Is the metal aluminum?

**Evaluate** 

Underline the correct word(s) that complete(s) this statement. Because the mass of the metal is about two and one-half times the volume, a density of about 2.5 g/cm<sup>3</sup> is reasonable. Because a density of 2.50 g/cm<sup>3</sup> is nearly 10% less than 2.7 g/cm<sup>3</sup>, the density of aluminum, the metal (is, is not) aluminum.

**EXTRA PRACTICE** (similar to Practice Problem 48a, page 92)

**48a.** Use dimensional analysis to convert 4.68 g of boron to cubic centimeters of boron. The density of boron is 2.34 g/cm<sup>3</sup>.